

Si/Ge self-assembled quantum dots

Zoltán Scherübl

BUTE Nanophysics Seminar

Lecture 01.12.2011.



M Ű E G Y E T E M 1 7 8 2

Why Si/Ge QD?

Advantages:

Low cost nanoelectronics: SemiC NW, CNT, etc.

But how to integrate to mainstream silicon technology?

Ability to form ideal contact with metals (SC-SemiC appl.)

Potential for long spin coherence time (Spintronics)

Strong spin-orbit (SO) coupling for p-type

Large modulations, anisotropies in g -factor (electronically controlled spin precession)

2D qubit architecture (contrary to Ge/Si core/shell NW)

Fabrication

Silicon-on-insulator (SOI) substrate (gate control):

40 nm undoped Si

65 nm SiO₂

Degenerately doped Si substrate

Stranski-Krastanow growth by MBE:

HF etching

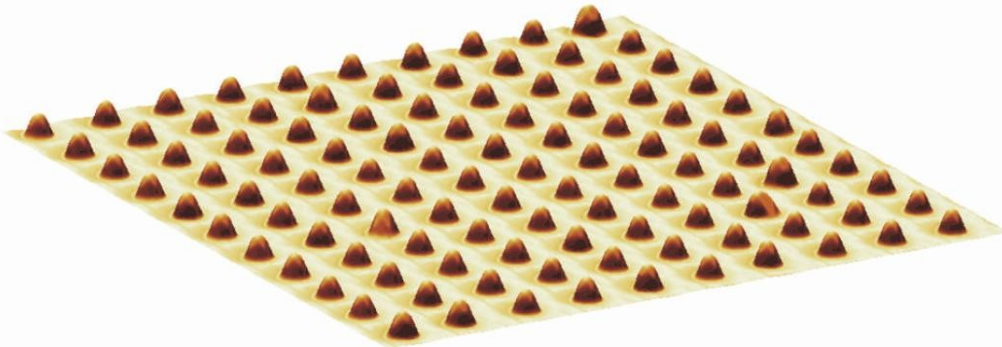
100 nm Si buffer @620°C, 0.1 nm/s

5s interruption

7 monolayer Ge @620°C 0.04 layer/s

2 nm Si cap @300°C

Ordering: 2D array of holes by EBL and CHF₃/O₂ plasma



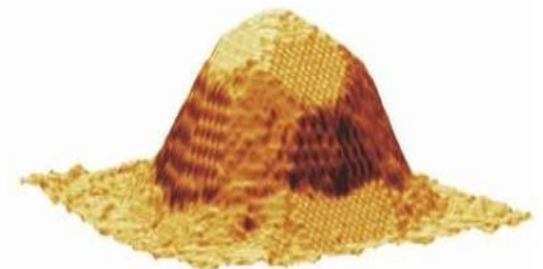
"pyramid"



"hut"



"dome"



Fabrication, Basic parameters

Contacting:

4 step of EBL, e-beam evap. ... (Ti/Au pads)
20 nm Al electrode pairs, 10-50 nm gap

Typical devices:

Monocrystallin, dome-shaped

Height: 22 ± 0.8 nm

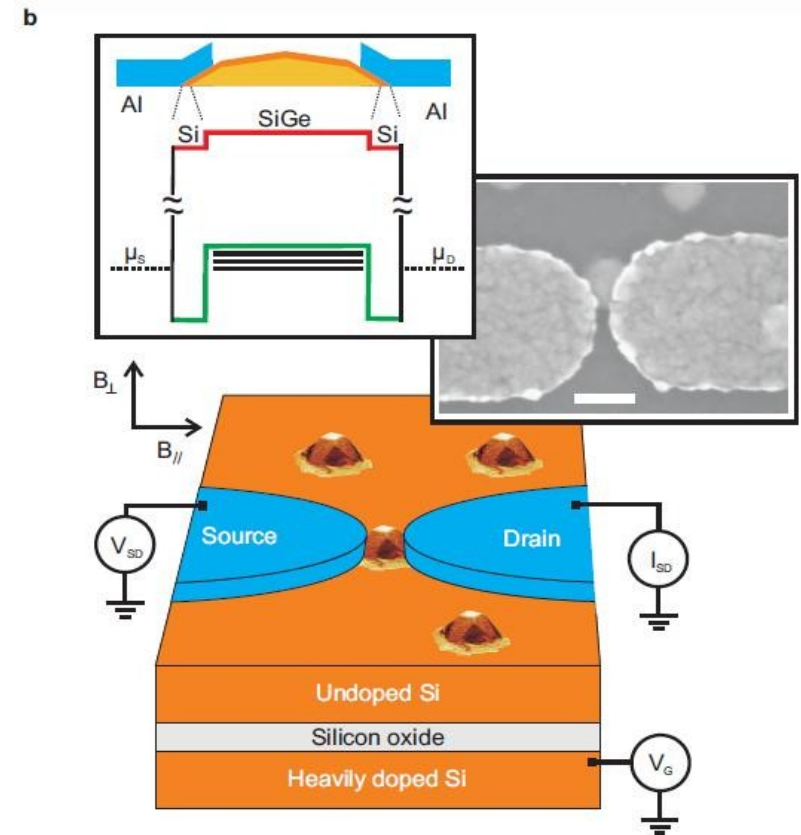
Base diameter: AFM: 96 ± 2 nm

SEM: 80 nm

P-type (holes)

Resistance: 10^4 - 10^5 Ohm (lowest: ~ 25.8 kOhm)

Measurements: @15mK



Single-hole supercurrent transistor

Normal Coulomb-peaks:

Wide peaks, finite valley conductance

→ strong coupling to the electrodes

→ Cooper-tunneling @ SC phase

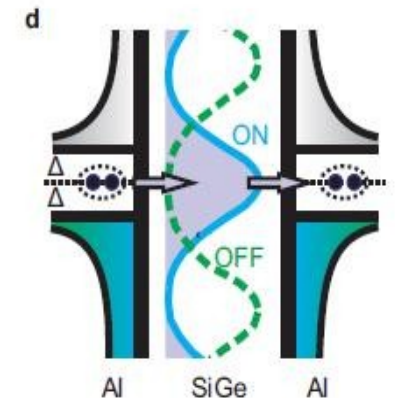
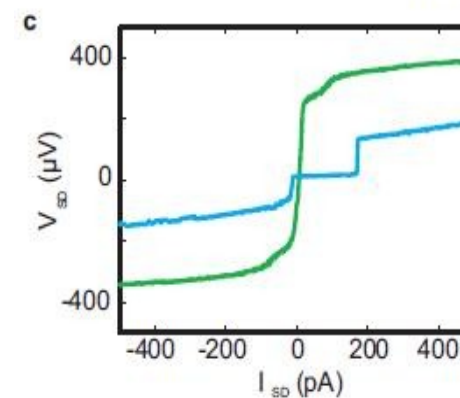
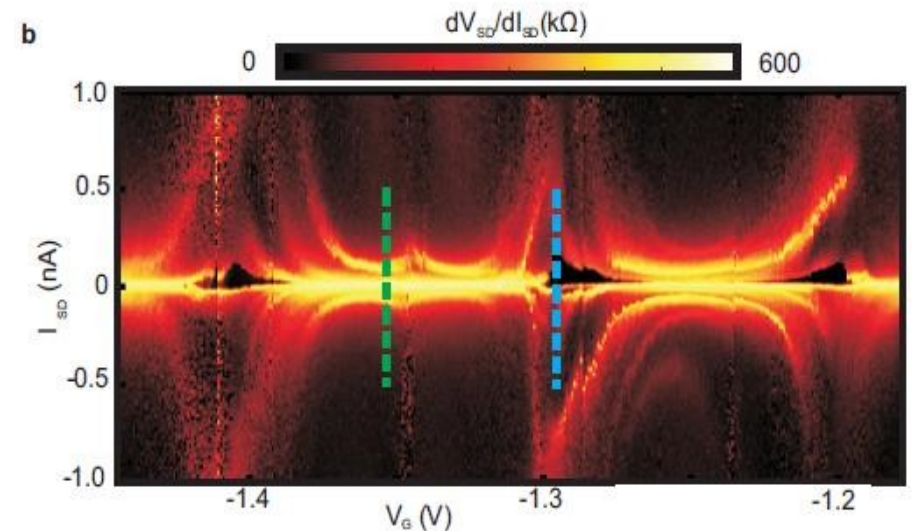
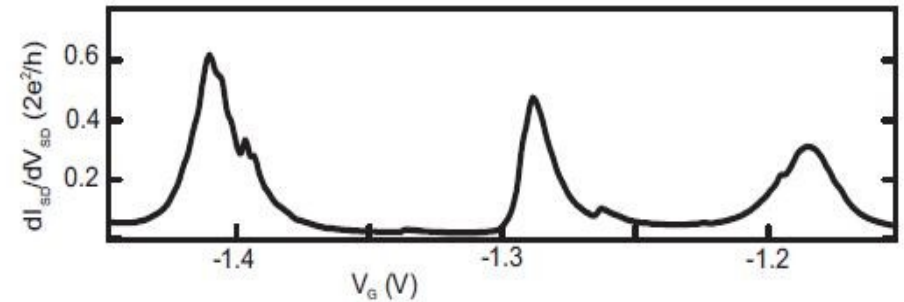
Black region: zero voltage drop on the QD

Blue line: switching from Josephson current to dissipative current

(Critical current: $\sim 10^2$ pA)

Green line: No non dissipative current

→ Switch the device On/Off by gate voltage



G-factor in $\text{Si}_x\text{Ge}_{1-x}$ materials

Bulk: 4-fold degeneracy (LH, HH) @ $\underline{k}=0$

QD: deg. lifted by strain or confinement

In self-assembled nanocrystals: compressing strain,
HH has lower energy

HH g-factor: $g_{\text{per}} = 6\kappa$, $g_{\text{par}} \approx 0$

LH g-factor: $g_{\text{par}} = 4\kappa$, $g_{\text{per}} = 2\kappa$

K: Luttinger valence-band parameter (Si: $\kappa=0.42$,
Ge $\kappa=-3.37$)

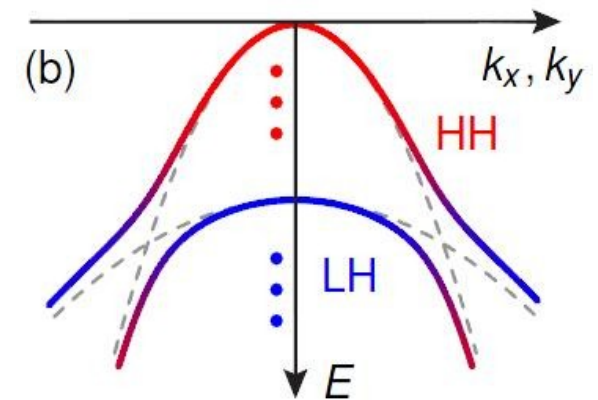
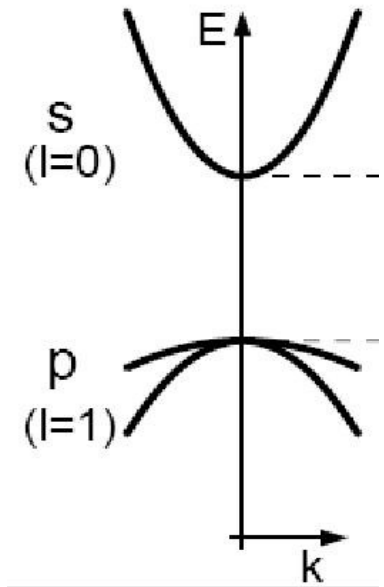
Alloys: κ has intermediate values

60-80% Ge: -0.308 - -1.153

40% Ge: 0.019

20% Ge: 0.131

(these samples: 50-75% Ge)



In QD: confinement \rightarrow mixing of HH and LH states

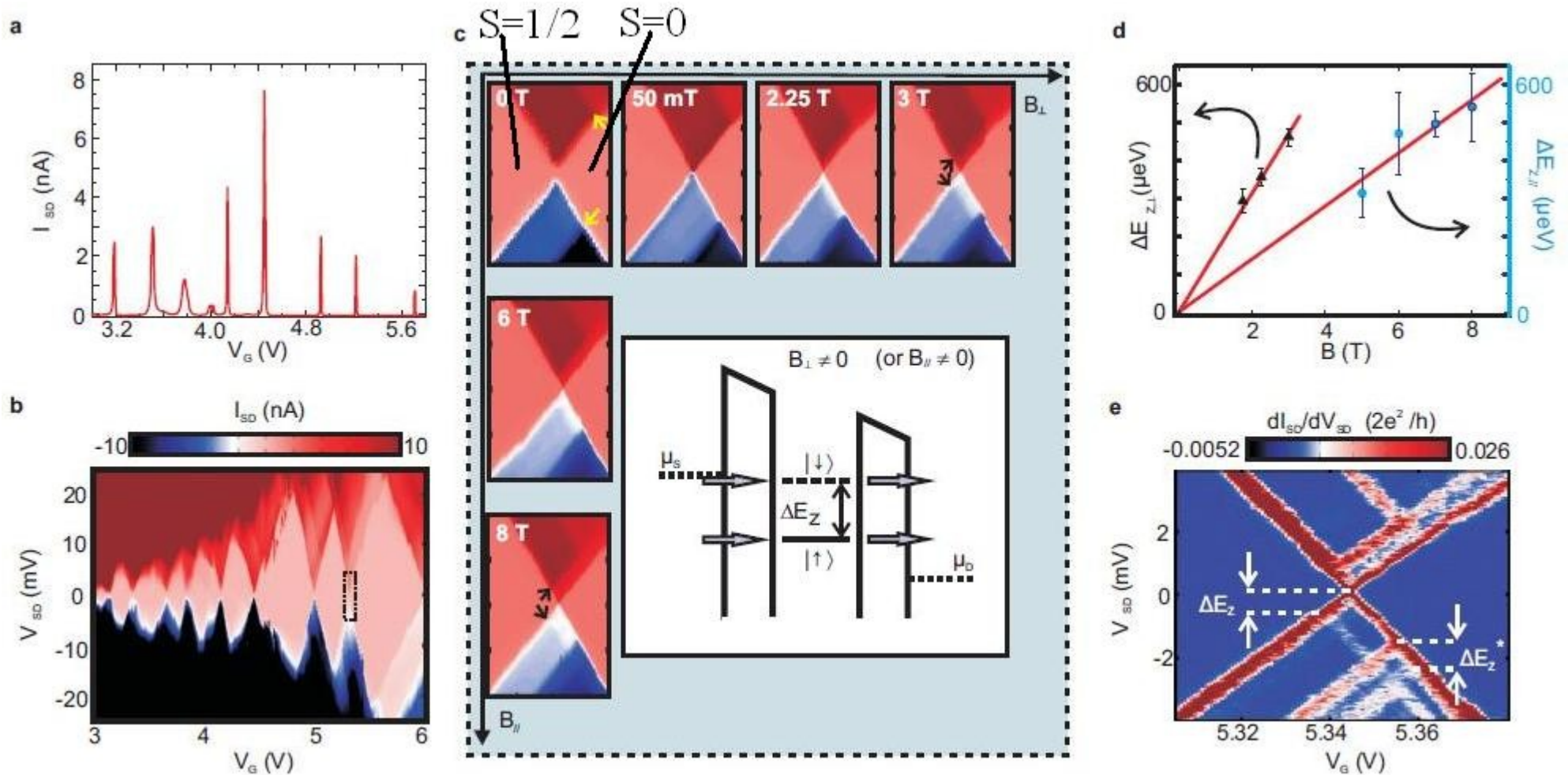
Anisotropy of g -factor I

Weak coupling to leads, high resistance

Increasing charge energy (by V_G) \rightarrow decrease in coupling

Rightmost diamond: in magnetic field \rightarrow anisotrop g -factor: $g_{\text{per}} = 1.21$, $g_{\text{par}} = 2.71$

Lowering V_G \rightarrow stronger coupling \rightarrow larger QD level broadening \rightarrow uncertainty



Anisotropy of g -factor II

Inelastic cotunneling spectroscopy:

Anisotropy in critical field: (parallel: 650 mT, perpendicular: 50 mT)

Angle dependence @3T:

Minimum not @15-20°

Almost identical offset in diamonds

Other device with min @0°

Asymmetric overlap with the leads ^a

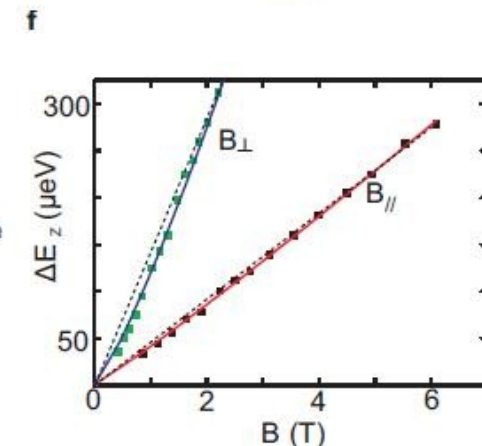
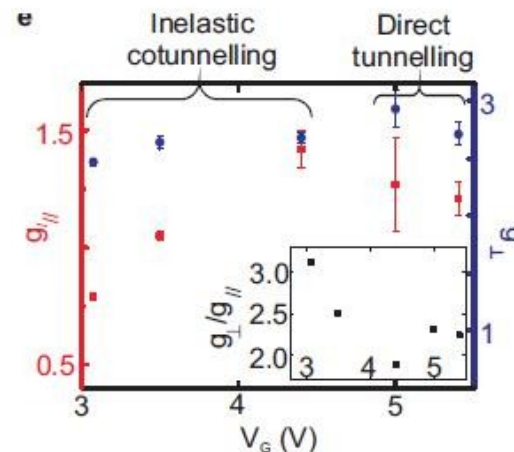
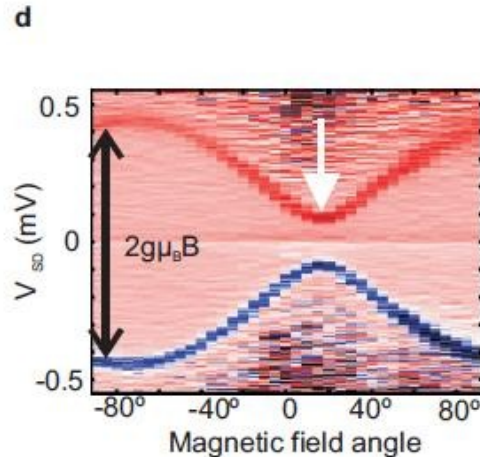
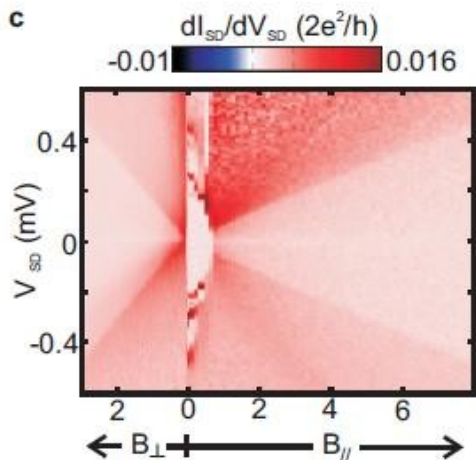
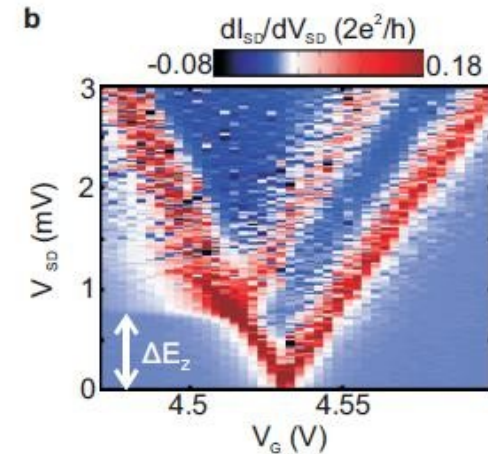
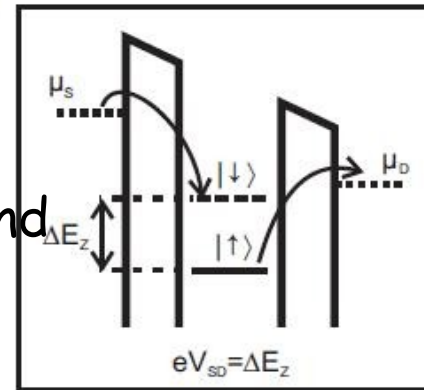
More holes → more extended wave-

function (to Si-rich base) → lower g

Weaker dependence on V_G , than on diamond

G -factor linked to the orb. wavefunc.

Small nonlinearity is Zeeman-energy



Spin-orbit interaction

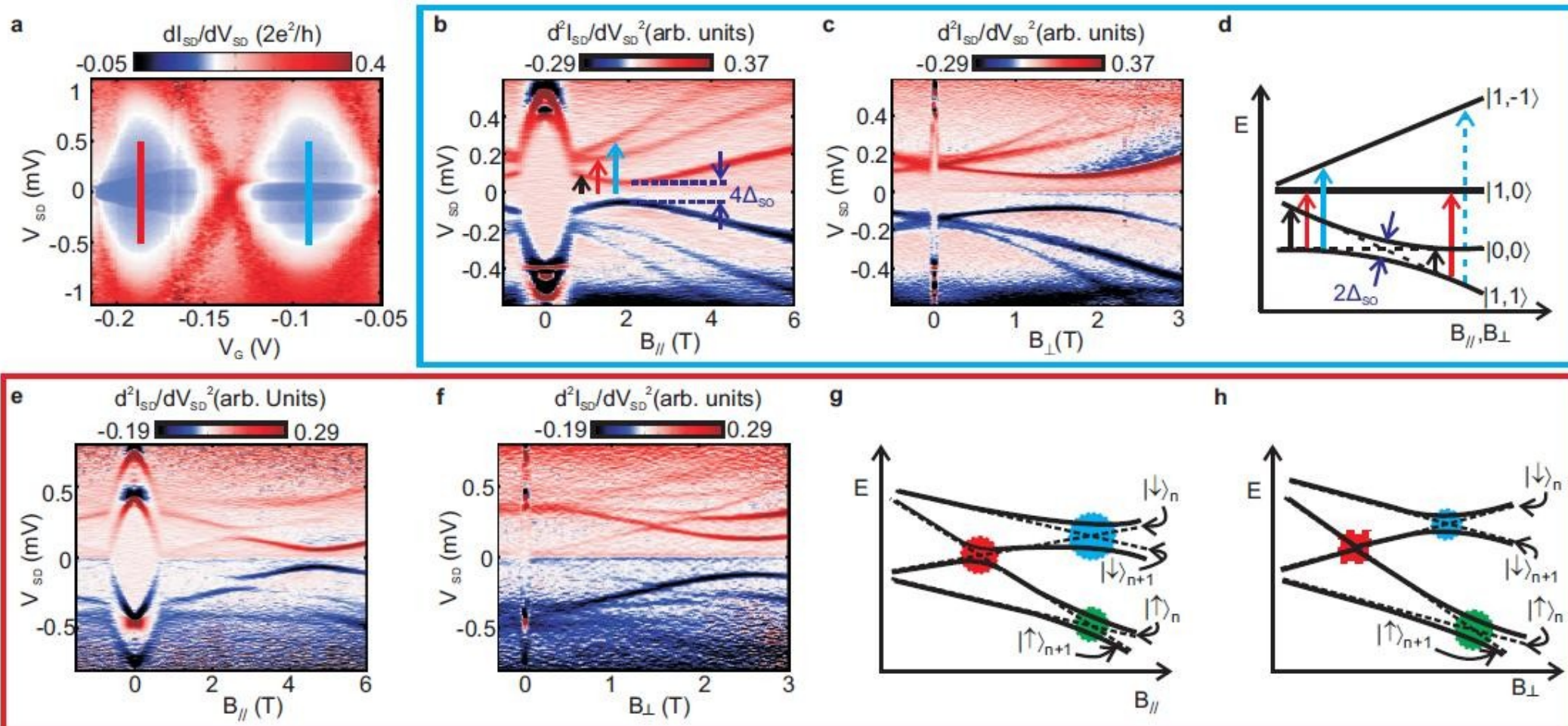
Indirect evidences:

G-factor deviation from free-particle value

Nonlinearities is Zeeman-effect

Measurement: device with small level spacing, strong tunnel coupling

Inelastic cotunneling spectroscopy



Spin-orbit interaction

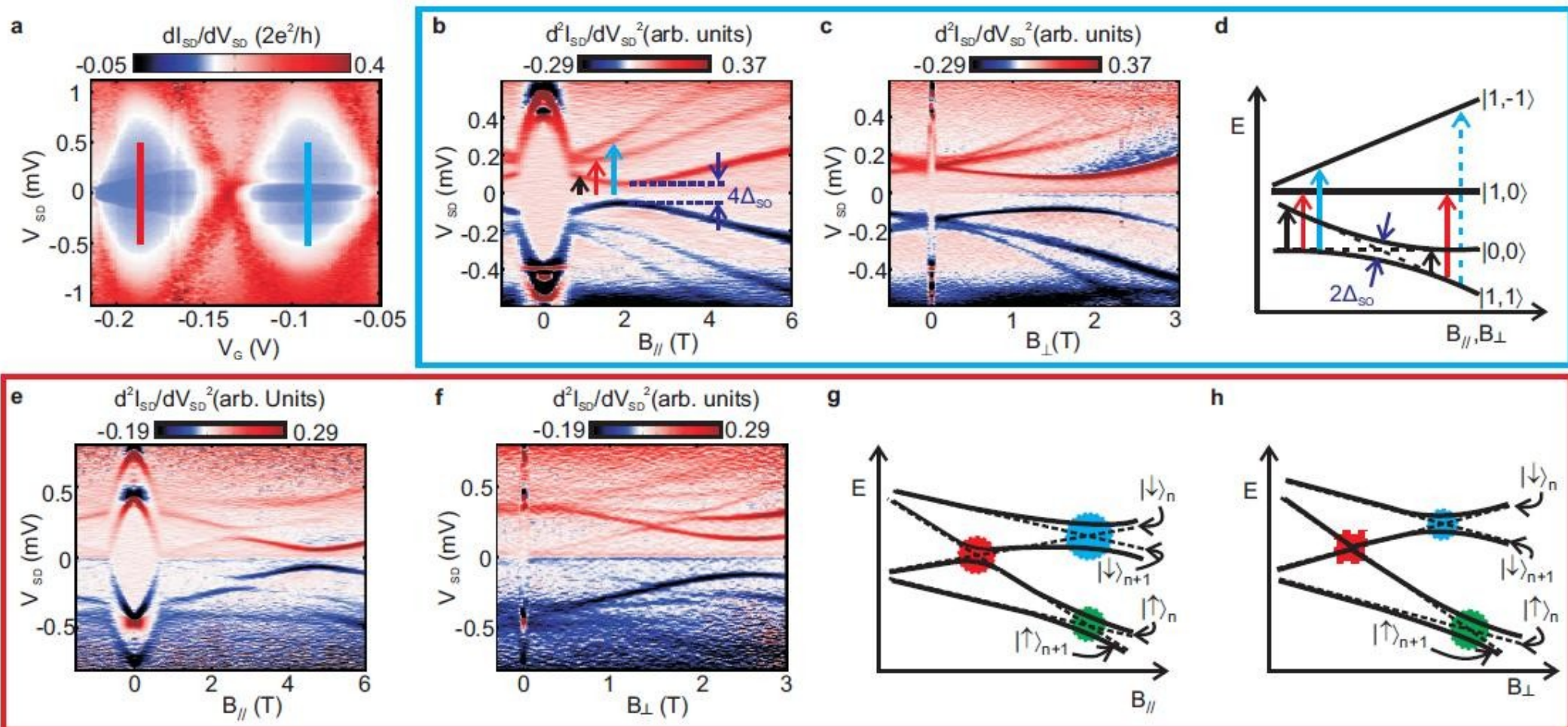
Blue: ground state: singlet, 3 lines: triplet excitations (even # of holes)

Zero-field singlet-triplet splitting: $130 \mu\text{eV}$

@2T: anticrossing between: $|0,0\rangle$ and $|1,1\rangle \rightarrow$ SO coupling:

Parallel field: $\Delta_{\text{SO}} = 34 \mu\text{eV}$ (one order smaller than in InAs or InSb)

Perpendicular field: $\Delta_{\text{SO}} = 42 \mu\text{eV}$



Spin-orbit interaction

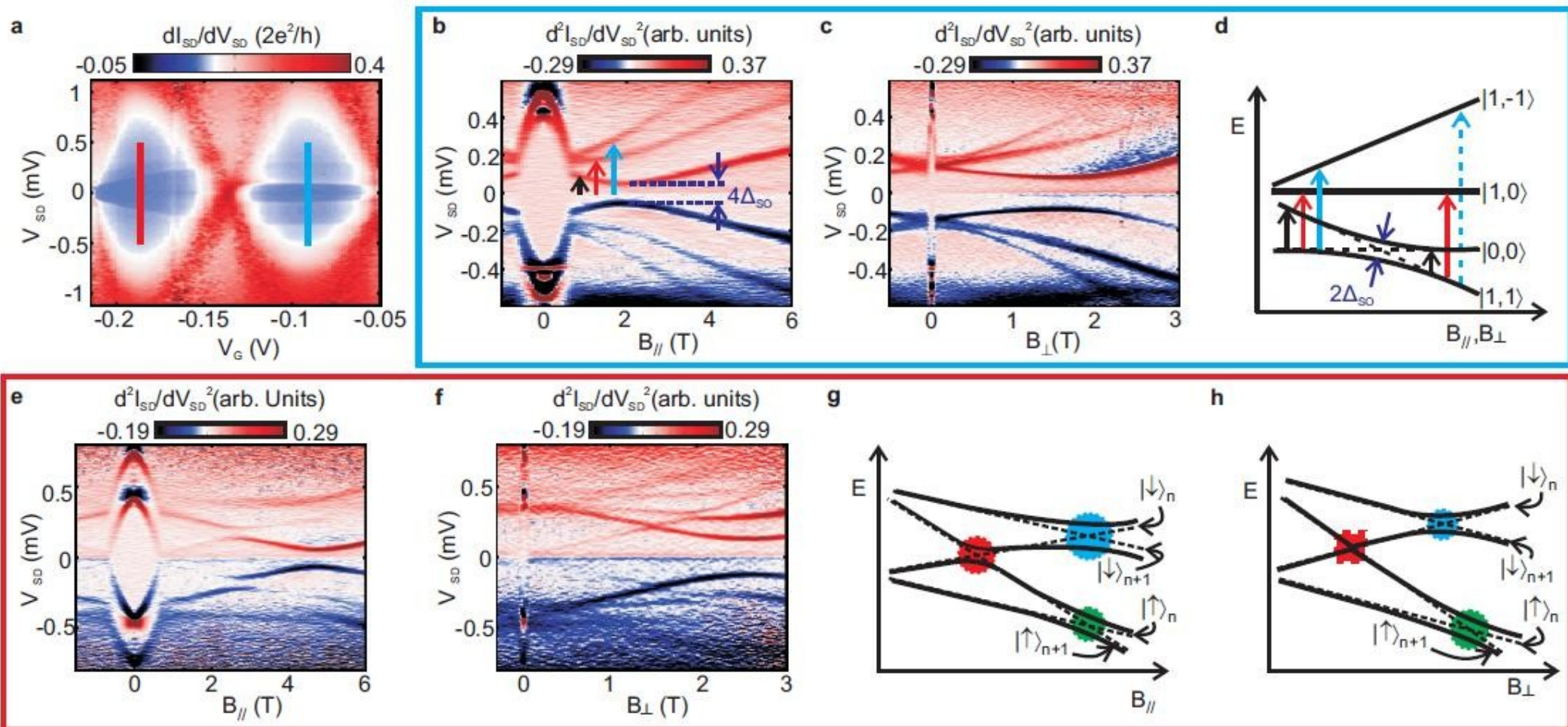
Red: (odd # of holes) two subsequent orbital (zf energy diff: $300 \mu\text{eV}$)

Field-induced decrease in orb. splitting, diff. g-factor for diff. orb.

Anticrossing: @ $B_{||} = 2.6 \text{ T}$ between $|\downarrow\rangle_n$ and $|\uparrow\rangle_{n+1} \rightarrow \Delta_{SO} = 37 \mu\text{eV}$

@ $B_{per} = 1.5 \text{ T}$ it vanishes \rightarrow longer spin relaxation time

Blue and green anticrossing: could anticross in the absence of SOI too



Spin selective tunneling

Coulomb blockade regime \rightarrow Second order cotunneling

Different tunnel rates for Zeeman levels: $\Gamma = \pi v |t|^2$

QD w/o SOI w/ FM electrodes:

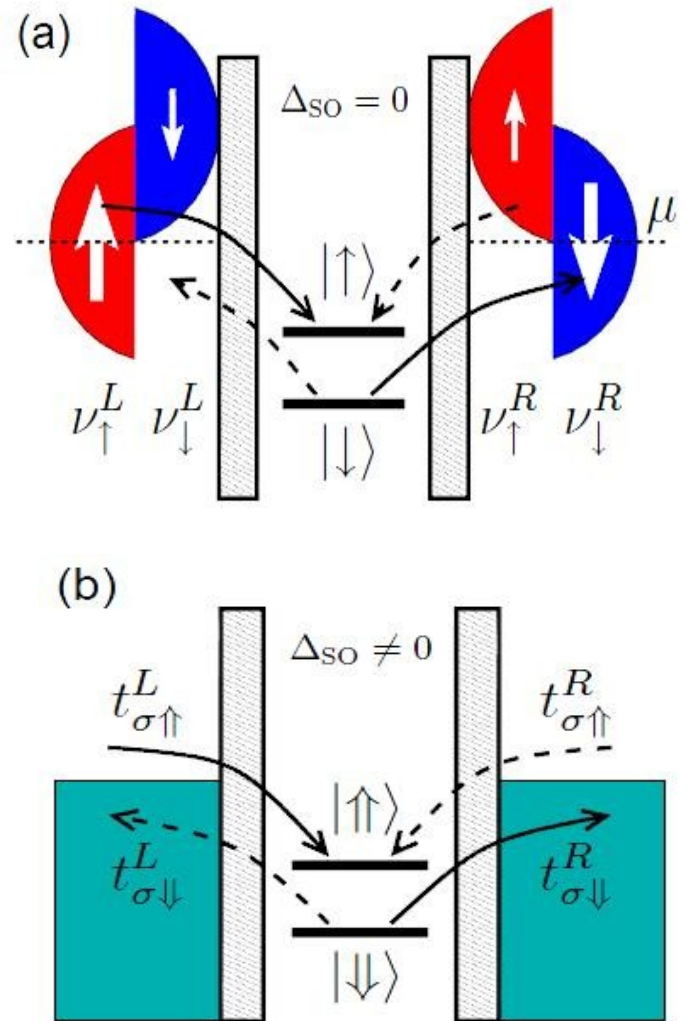
Origin: DOS (v) in the leads

QD w/ SOI w/ N electrodes:

Γ is spin dependent in B field $\rightarrow \Gamma_{\uparrow}^L \Gamma_{\downarrow}^R \neq \Gamma_{\uparrow}^R \Gamma_{\downarrow}^L$

$G(V)$ is expected to be asymmetric

w/o B \rightarrow no spin selectivity expected



Measurement

Odd # of holes, finite G @ $V=0 \rightarrow$ spin-1/2 Kondo

In B field: Kondo peaks splits up

Perpendicular B: asymmetric $G(V)$ for $|eV| > E_{\text{Zeeman}}$

Rotating 3T field:

Angle dependent g -factor

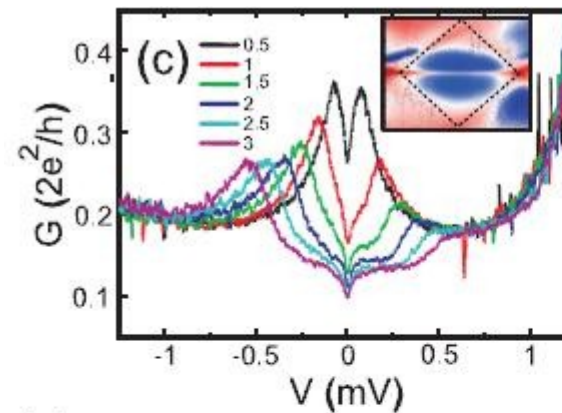
Asymmetry parameter:

$$A = \left| \frac{G_- - G_+}{G_- + G_+} \right| \text{ ahol } G_{\pm} = G(\pm E_Z/e)$$

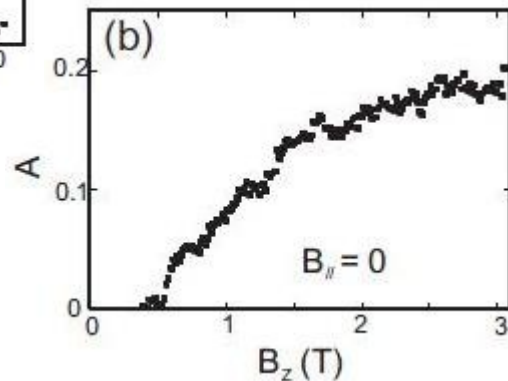
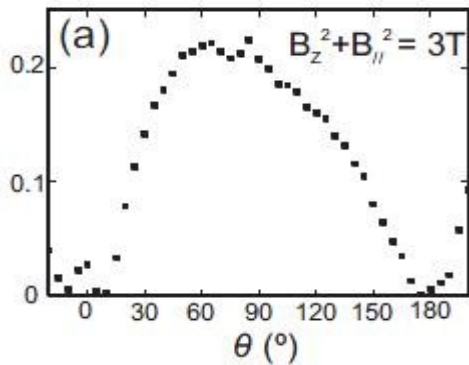
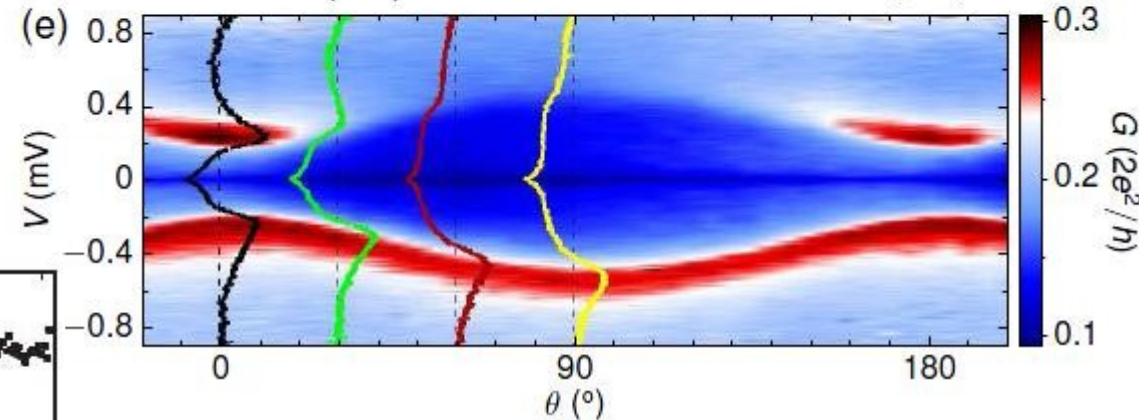
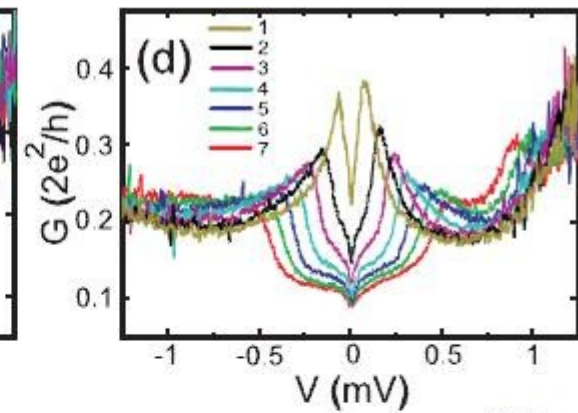
A has min @ $0, 180^\circ$, max = 0.2

Asymmetry increases with B_z

Perpendicular B



Parallel B



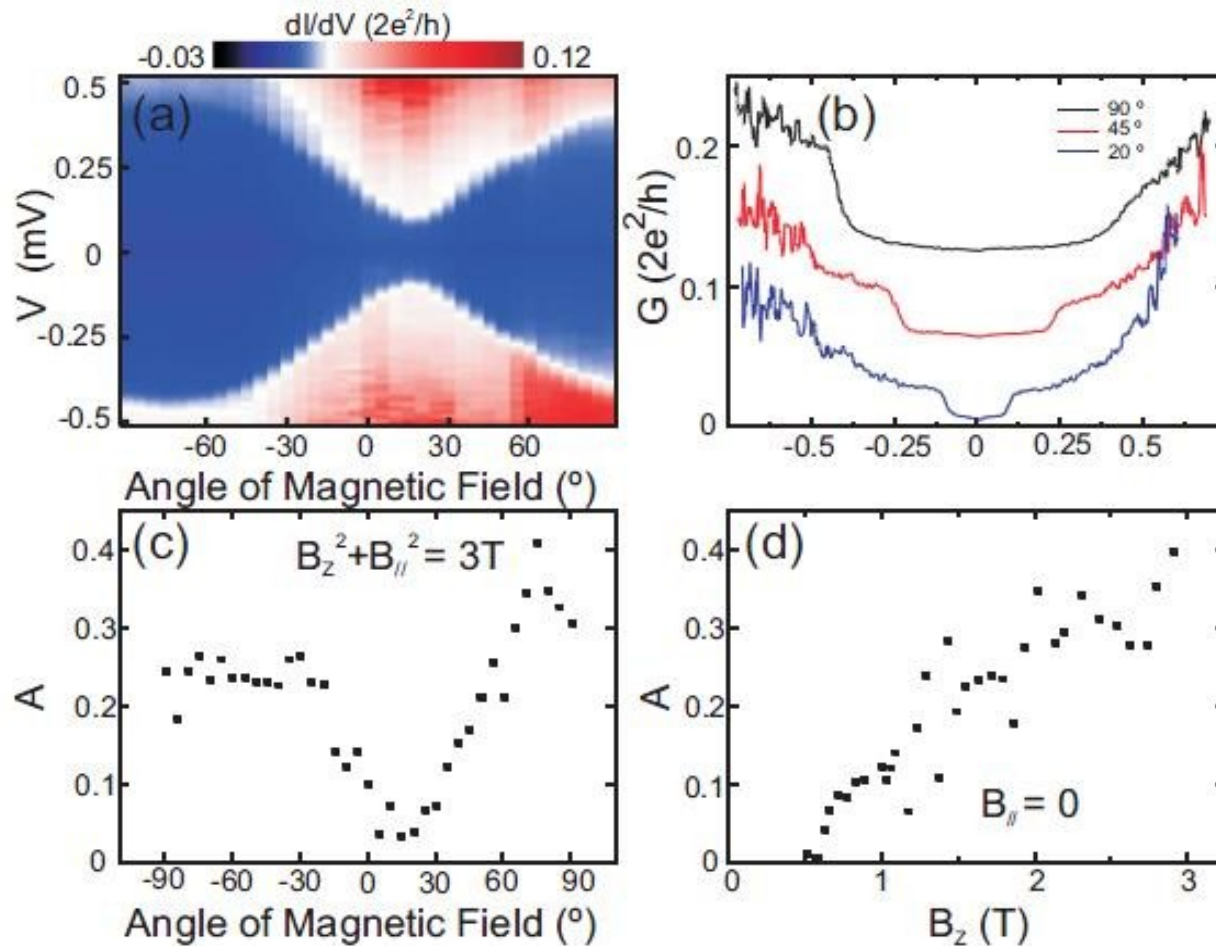
Other device

No Kondo-effect, weaker coupling to the leads

Min g -factor @15-20°, but here is no asymmetry

The plane of wavefunction may not parallel to the substrate

A has a greater maximum (0.35-0.4)



References

Katsaros et al. Hybrid superconductor devices made from self-assembled SiGe nanocrystals on silicon, *Nature Nanotechnology* **5**, 458-464 (2010)

Katsaros et al. Observation of spin-selective tunneling in SiGe nanocrystals, <http://arxiv.org/abs/1107.3919v1>